

Geographic Databases

(Metric Data Models from Sections 6.1- 6.4
and Queries from Section 6.6)

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Geographic Data Abstraction

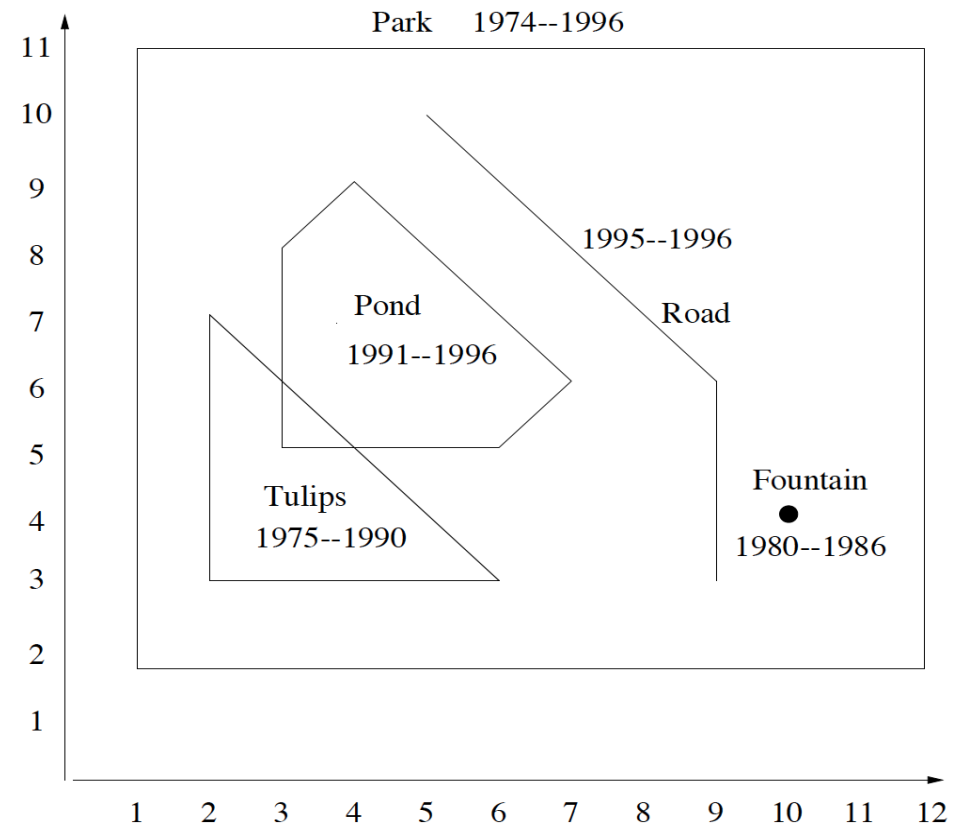
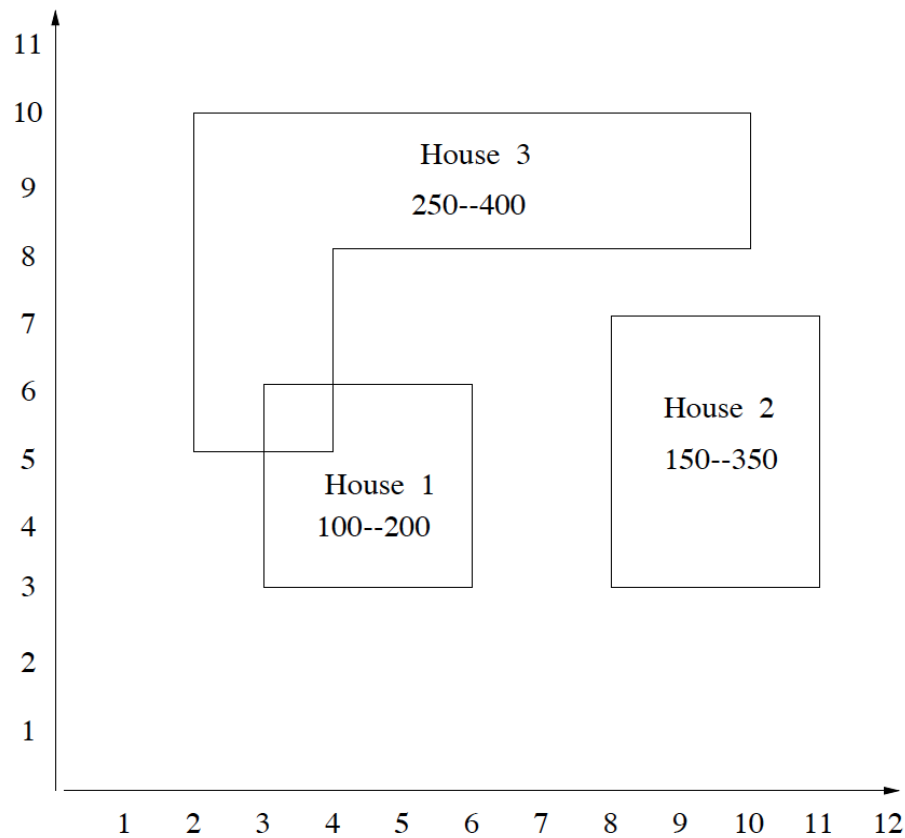
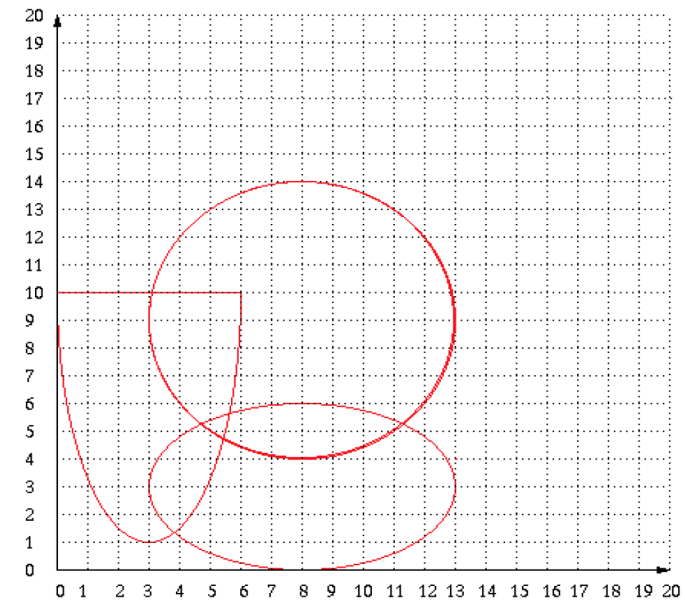
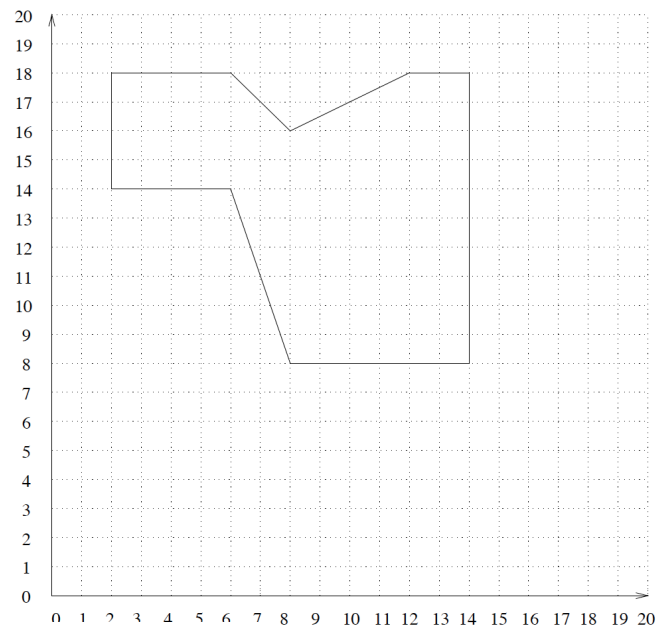
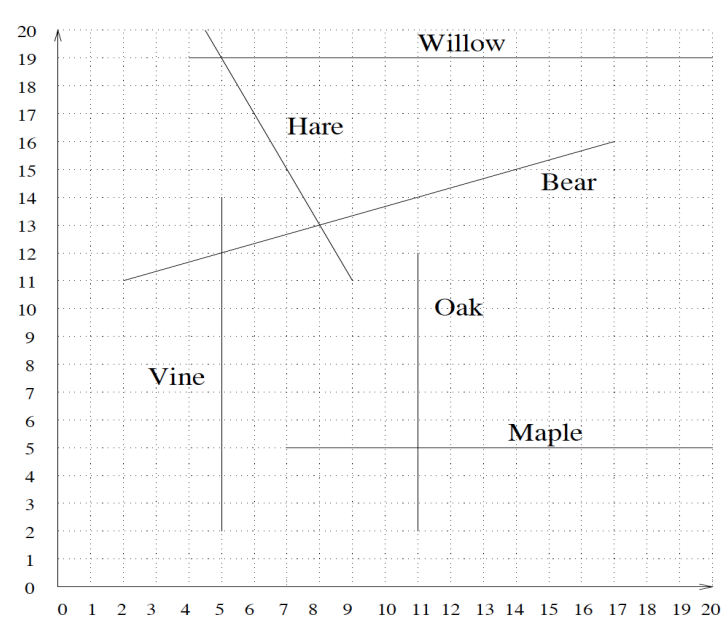
View Level: Drawing of some kind of map.

Logical Level: Infinite relational database scheme.

Constraint Level: Some finite representation.

Physical Level: The way data is actually stored in a computer.

View Level: streets, town, radio broadcast areas, archaeological site, park.



Logical Level: radio broadcast areas

Broadcast

| Radio | X | Y |
|-------|---|---|
| 1 | 8 | 9 |
| ⋮ | ⋮ | ⋮ |
| 2 | 8 | 3 |
| ⋮ | ⋮ | ⋮ |
| 3 | 3 | 1 |
| ⋮ | ⋮ | ⋮ |

Constraint Level

There are many proposals to finitely represent geographic data.

Option 1: Rectangles Data Model

House

| Id | X | Y | T |
|----|---------|---------|------------|
| 1 | [3, 6] | [3, 6] | [100, 200] |
| 2 | [8, 11] | [3, 7] | [150, 350] |
| 3 | [2, 4] | [5, 10] | [250, 400] |
| 3 | [2, 10] | [8, 10] | [250, 400] |

Option 2: Vector Data Model

Street

| Id | Type | List |
|--------|----------|----------------------|
| Bear | polyline | [(2, 11), (17, 16)] |
| Hare | polyline | [(4.5, 20), (9, 11)] |
| Maple | polyline | [(7, 5), (20, 5)] |
| Oak | polyline | [(11, 2), (11, 12)] |
| Vine | polyline | [(5, 2), (5, 14)] |
| Willow | polyline | [(4, 19), (20, 19)] |

Town

| Id | Type | List |
|---------|---------|---|
| Lincoln | polygon | [(2, 18), (6, 18), (8, 16), (12, 18), (14, 18), (14, 8), (8, 8), (6, 14), (2, 14)] |

Constraint Level

Option 3: Worboys' Data Model

Park

| Id | Ax | Ay | Bx | By | Cx | Cy | From | To |
|----------|----|----|----|----|----|----|------|------|
| Fountain | 10 | 4 | 10 | 4 | 10 | 4 | 1980 | 1986 |
| Road | 5 | 10 | 9 | 6 | 9 | 6 | 1995 | 1996 |
| Road | 9 | 6 | 9 | 3 | 9 | 3 | 1995 | 1996 |
| Tulip | 2 | 3 | 2 | 7 | 6 | 3 | 1975 | 1990 |
| Park | 1 | 2 | 1 | 11 | 12 | 11 | 1974 | 1996 |
| Park | 12 | 11 | 12 | 2 | 1 | 2 | 1974 | 1996 |
| Pond | 3 | 5 | 3 | 8 | 4 | 9 | 1991 | 1996 |
| Pond | 4 | 9 | 7 | 6 | 3 | 5 | 1991 | 1996 |
| Pond | 3 | 5 | 7 | 6 | 6 | 5 | 1991 | 1996 |

Option 4: Constraint Data Model

Broadcast

| Radio | X | Y | |
|-------|---|---|--|
| 1 | x | y | $(x - 8)^2 + (y - 9)^2 \leq 25$ |
| 2 | x | y | $\frac{(x-8)^2}{5^2} + \frac{(y-3)^2}{3^2} \leq 1$ |
| 3 | x | y | $(y - 1) \geq (x - 3)^2, y \leq 10$ |

Constraint Level

Comparing the **expressive power** of various constraint level geographic data model proposals:

Vector Data Model < Worboys' Data Model < Constraint Data Model

Rectangles Data Model < Worboys' Data Model

Question: Why?

Querying Geographic Databases

Point-based queries using the logical level and *standard SQL queries*.

Example: Find the areas where at least three park objects intersect.

```
SELECT  P1.X, P1.Y
FROM    Park AS P1, Park AS P2, Park AS P3
WHERE   P1.X = P2.X AND P2.X = P3.X AND
        P1.Y = P2.Y AND P2.Y = P3.Y
        AND P1.Id <> P2.Id AND P1.Id <> P3.Id AND P2.Id <> P3.Id;
```


Querying Geographic Databases

Constraint level queries using SQL extended with *geographic operators*.

Example: Find the areas where at least three park objects intersect.

First we need to define *intersect* on triangles as follows.

$intersect_ \Delta 2^{\Delta}(triangle, 2^{triangle}) \rightarrow 2^{triangle}$: This operator returns the intersection of a triangle ADT of the Worboys' data model with a set of triangle ADTs of the Worboys' data model.

With this patch of the query language and the evaluation system, it is now convenient to express the above query as:

```
SELECT  intersect_Δ2Δ( $\overline{P1}$ , intersect_ΔΔ( $\overline{P2}$ ,  $\overline{P3}$ ))
FROM    Park AS P1, Park AS P2, Park AS P3
WHERE   P1.Id <> P2.Id AND P1.Id <> P3.Id AND P2.Id <> P3.Id;
where  $\overline{Pi} = Pi.Ax, Pi.Ay, Pi.Bx, Pi.By, Pi.Cx, Pi.Cy$  for  $1 \leq i \leq 3$ .
```